

Heterogeneity and Government Revenues: Higher Taxes at the Top?

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Abstract

We evaluate the effectiveness of a more progressive tax scheme in raising government revenues. We develop a life-cycle economy with heterogeneity and endogenous labor supply, parameterized to reproduce a host of aggregate and cross-sectional observations for the U.S. economy. Households face a progressive income tax schedule, mimicking the Federal Income tax, and flat-rate taxes that capture payroll, state and local taxes and the corporate income tax. We find that a tilt of the Federal income tax schedule towards high earners leads to small increases in revenues which are maximized at an effective marginal tax rate of about 35.6% for households at the richest 5% – in contrast to 21.4% in the benchmark economy. However, as the changes systematically lead to reductions in savings, labor supply, and output, revenues from all sources increase only by about 1%. The room for higher revenues from more progressive taxes is even lower when the average taxes are higher to start with. We conclude that these policy recommendations are misguided if the aim is to exclusively raise government revenue.

JEL Classifications: E6, H2.

Key Words: Taxation, Progressivity, Labor Supply.

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1 Introduction

Tax reform should follow the Buffett rule: If you make more than 1 million a year, you should not pay less than 30% in taxes, and you shouldn't get special tax subsidies or deductions. On the other hand, if you make under \$250,000 a year, like 98% of American families, your taxes shouldn't go up.

Barack Obama. State of the Union speech, Jan 24, 2012

Recently, calls for closing fiscal deficits have been combined with proposals to shift the tax burden and increase marginal tax rates on higher earners. The upshot is that *additional* tax revenue should come from those who earn higher incomes. As top earners account for a disproportionate share of tax revenues and face the highest marginal tax rates, such proposals lead to a natural tradeoff regarding tax collections. On the one hand, increases in tax collections are potentially non trivial given the revenue share accounted for high-income households. On the other hand, the implementation of such proposals would increase marginal tax rates precisely where they are at their highest levels and thus, where the individual responses are expected to be larger. Therefore, revenue increases might not materialize.

In this paper, we ask: how much additional revenue can be raised by making income taxes more progressive? How does the answer depend on the underlying labor supply elasticities? How does the answer depend on tax-revenue requirements (i.e. the pre-existing level of average taxes)? To address these questions, we develop an equilibrium life-cycle model with individual heterogeneity and endogenous labor supply. Individual heterogeneity is driven by initial, permanent differences in labor productivity and uninsurable productivity shocks over the life cycle. There are different forms of taxes: a non-linear income tax, a flat-rate income tax (to capture state and local taxes), a flat-rate capital income tax (to mimic the corporate income tax) and payroll taxes.¹

¹Our model framework is by now standard in the macroeconomic and public-finance literature, and in different versions has been used to address a host of issues. Among others, Huggett and Ventura (1998), Conesa and Krueger (1999) and Nishiyama and Smetters (2007) used it to quantify the effects of social security reform with heterogenous households. Altig, Auerbach, Kotlikoff, Smetters and Walliser (2001) used a version without uninsurable shocks to study alternative tax reforms. Ventura (1999) quantified the aggregate and distributive effects of a Hall-Rabushka flat tax. Conesa, Krueger and Kitao (2009) assessed the desirability of capital-income taxation and non-linear taxation of labor income. Heathcote, Storesletten and Violante (2004) studied the implications of rising wage inequality in the United States. See Heathcote, Storesletten and Violante (2009) for a survey.

We discipline this model to account for aggregate and cross-sectional facts of the U.S. economy. In particular, we select parameters so the model is consistent with observations on the dynamics of labor earnings, overall earnings inequality, and the relationship between individual income and taxes paid at the Federal level. To capture the relationship between income and income taxes paid at the federal level, we use a parametric *tax function* – put forward by Benabou (2002) and used recently by Heathcote, Storesletten and Violante (2014) and others – capturing effective tax rates emerging from IRS data. One of these parameters governs the *level* of average tax rates, while the other controls the *curvature*, or progressivity, of the tax function. The model under this tax function accounts well for the distribution of income taxes paid in the U.S. at the Federal level. Tax liabilities are heavily concentrated in the data – more so than the distributions of total income and labor income. In our data, the first quintile and top quintile of the distribution of income account for 0.4% and 71% of total revenues, respectively. Our model is largely consistent with this rather substantial degree of concentration: the bottom quintile accounts for 0.3-0.6% of tax liabilities while the top quintile accounts for 74-76%.

We introduce changes in the shape of the tax function and shift the tax burden towards higher earners, via increases in the parameter that governs the curvature of the tax function. We find that income tax revenues at the Federal level are maximized at average and marginal tax rates at the top that are higher than at the benchmark economy. We find a revenue-maximizing parameter that implies an effective marginal tax rate of about 35.6% or higher for those defining the richest 5% of households, while the corresponding value in the benchmark case is of about 21.4%. However, the increase in tax revenues from income taxes at the Federal level is small. Across steady states, tax revenues increase by about 7.5% relative to the benchmark case. Moreover, as increases in the curvature of the tax function systematically lead to reductions in savings, labor supply and output, tax collections from other sources fall across steady states. This results in overall tax collections – including corporate and state income taxes – that increase only marginally by about 1%.

We subsequently conduct exercises to investigate the quantitative importance of different aspects of our analysis. We first investigate the importance of the labor supply elasticity. We find that when the elasticity parameter is below the low side of the macroeconomic estimates, the increase in income tax revenues driven by increases in the curvature of the tax function are not much larger than in our baseline case. Income tax revenues increase in

this case by about 9%, and total revenues increase by about 2%. We then turn our attention to the magnitude of revenue requirements or the overall average tax rate, which we proxy by the 'level' parameter in the tax function. We find that there are substantial revenues available from mild increases in average rates across all households – relative to changes in progressivity. For instance, an increase in the average tax rate around mean income from 8.9% (benchmark value) to about 13%, raises revenues by more than 30%. We also show that when the average taxes are higher, there is less room for a government to raise revenue by making taxes more progressive. Finally, we increase taxes at high incomes only – instead of generically tilting the tax function towards high earners. When we search for revenue-maximizing taxes on the richest 5%, we find lower increases in income tax revenues: 3.7% vs 7.5% in the benchmark economy.

To sum up, our quantitative findings indicate that there are only second-order additional revenues available from a tilt of the income-tax scheme towards high earners. These small increases in revenues are concomitant with substantial effects on output and labor supply, and require large increases in marginal tax rates for high earners. The upshot is that increases in progressivity lead to endogenous responses in the long run, that effectively result in the small effects on revenues we find. In turn, these changes in aggregates lead to reduction in tax collection from other sources, with the net effect of even smaller increases in overall revenues.

Background Our paper is related to several strands of literature. By its focus, it is connected to research on the magnitude of relevant labor supply elasticities for use in aggregate models, and their implications for public policy. Keane (2011) and Keane and Rogerson (2012) survey recent developments in this literature. Second, our paper is naturally related with recent work on the Laffer curve in dynamic, equilibrium models. Trabant and Uhlig (2011) and Fève, Matheron, and Sahuc (2014) and Holter, Krueger and Stepanchuk (2014) are examples of this work. Trabant and Uhlig (2011) focus on the Laffer relationship driven by tax rates on different margins in the context of the one-sector growth model with a representative household. They find that while there is room for revenue gains in the U.S. economy, several European economies are close to the top of the Laffer relationship. Fève et al (2014) conduct a similar exercise, but in economies with imperfect insurance, where they

highlight the role of government debt on the revenue-maximizing level of taxes. We differ from the first two papers in key respects, as we take into account household heterogeneity and explicitly deal with the non-linear structure of taxation in practice. These features allow us concentrate on Laffer-like relationships driven by changes in the curvature (progressivity) of the current tax scheme, and investigate the interplay between the ‘level’ of taxation vis-a-vis the distribution of its burden across households. Holter et al (2014), in turn, are closer to our work. These authors develop a life-cycle model with heterogeneity, non-linear taxes and labor supply decisions at the extensive margin, and study the structure of Laffer curves for OECD countries. They find that maximal tax revenues would be about 7% higher under a flat-rate tax than under the progressivity level of the U.S. They also find that at the highest progressivity levels in OECD (i.e. Denmark), substantially lower tax revenues are available.

Our paper is also related with ongoing work on the welfare-maximizing degree of tax progressivity. Conesa and Krueger (2006), Conesa et al (2009), Diamond and Saez (2011), Bakis, Kaymak and Poschke (2012), Heathcote, Storesletten and Violante (2014), among others, are examples of this line of work. In particular, our paper bears close connection with Badel and Huggett (2014). These authors study a life-cycle economy where individual earnings are the outcome of risky human-capital investments. In this context, they study the welfare effects of increasing marginal tax rates on high earners. They find welfare-maximizing marginal tax rates on labor earnings at the top of the earnings distribution that are substantially higher than current ones. We differ from these authors as we center our attention on the additional revenue generated from taxing top earners.

Our paper is organized as follows. In section 2, we present a parametric example that we use to highlight the key forces at work in our economy. In section 3, we present the life-cycle model that defines our benchmark economy, while we discuss how we assign parameter values in section 4. We show our main results in section 5. We provide a critical discussion of our results in section 6. Finally, section 8 concludes.

2 Example: The Revenue-Maximizing Degree of Progressivity

We consider the following motivating example with three central features: (i) preferences with a constant elasticity of labor supply; (ii) a log-normal distribution of wage rates; (iii)

taxes represented by a parametric tax function. The example allows us to highlight the forces shaping the determination of the revenue-maximizing degree of progressivity. We then analyze the role of the labor supply elasticity, the need for revenue and the extent of heterogeneity on the revenue-maximizing degree of progressivity. We do each of this in turn.

Let preferences be represented by

$$U(c, l) = \log(c) - \frac{\gamma}{1 + \gamma} l^{1 + \frac{1}{\gamma}},$$

where γ is the (Frisch) elasticity of labor supply. We use these preferences later on in our analysis. Individuals are heterogenous in the wage rates they face and labor is the only source of income. Wage rates are log-normally distributed. Specifically,

$$\log(w) \sim N(0, \sigma^2)$$

Finally, the tax function is given by

$$t(\tilde{I}) = 1 - \lambda \tilde{I}^{-\tau}$$

where $t(\tilde{I})$ is the average tax rate at the relative income level – \tilde{I} stands for household income relative to mean income. Hence, at income $I \equiv wl$, total taxes paid amount to $I t(\tilde{I})$. This parametric tax function follows Benabou (2002) and Heathcote, Storesletten and Violante (2011) and is the function that we subsequently use in our quantitative study. The parameter λ captures the need for revenue, as it defines the *level* of the average tax rate. The parameter $\tau \geq 0$ controls the curvature of the tax function – the higher τ is, the more progressive the tax scheme is. If $\tau = 0$, then the tax scheme is flat. Hence, the degree of progressivity of the tax function is controlled solely by the parameter τ .

The first-order conditions for labor choice imply:

$$\frac{w (1 - \tau) \lambda \tilde{I}^{-\tau}}{wl (\lambda \tilde{I}^{-\tau})} = l^{\frac{1}{\gamma}} \tag{1}$$

It follows that optimal labor supply is given by

$$l^*(\tau) = (1 - \tau)^{\frac{\gamma}{1 + \gamma}}$$

Labor supply depends only on the curvature parameter τ and the elasticity parameter γ , independently of wage rates and λ . Labor supply is affected by τ as the distortion induced by taxation, given by the ratio of 1 minus the marginal tax rate to 1 minus the average rate, is constant, and given by $(1 - \tau)$. Note that the tax scheme leads to changes in labor supply even for preferences for which substitution and income effects cancel out. On the other hand, changes in wage rates and λ generate income and substitution effects that cancel each other out exactly. This illustrates further that these preferences in conjunction with this tax function are consistent with a balanced-growth path.

Government Revenues We construct now the function that describes aggregate tax revenues, $R(\tau)$. Taxes collected from a household with wage rate w are

$$wl^*(\tau) \left[1 - \lambda \left(\frac{wl^*(\tau)}{E(w)l^*(\tau)} \right)^{-\tau} \right]$$

where $E(w)$ stands for mean wages. It follows that aggregate revenues are

$$R(\tau) = l^*(\tau) \left[E(w) - \lambda \frac{E(w^{1-\tau})}{[E(w)]^{-\tau}} \right], \quad (2)$$

Given the log-normal distribution of wage rates, we have

$$E(w) = \exp \left(\frac{1}{2} \sigma^2 \right),$$

$$E(w^{1-\tau}) = \exp \left(\frac{1}{2} (1 - \tau)^2 \sigma^2 \right),$$

and

$$[E(w)]^{-\tau} = \exp \left(-\frac{1}{2} \tau \sigma^2 \right)$$

Therefore, after some algebra

$$R(\tau) = l^*(\tau) \underbrace{\left[\exp \left(\frac{1}{2} \sigma^2 \right) - \lambda \exp \left(\frac{1}{2} (1 + \tau^2 - \tau) \sigma^2 \right) \right]}_{\equiv A(\tau)} \quad (3)$$

or simply,

$$R(\tau) = l^*(\tau)A(\tau) \quad (4)$$

Maximizing Revenue We start by noting that maximizing revenue entails a non-trivial choice of τ , as it depends on the effects of τ on labor supply and on the function $A(\tau)$. Note that the latter function is maximized by a choice of $\tau = 1/2$. Hence, since the effects of the curvature of the tax function on labor supply are negative, the revenue-maximizing curvature is always less than $1/2$.

Under an interior choice, maximizing revenues implies

$$\frac{l^*(\tau)'}{l^*(\tau)} = -\frac{A(\tau)'}{A(\tau)} \quad (5)$$

After algebra, the above results in

$$-\frac{\gamma}{(1+\gamma)(1-\tau)} = \frac{\lambda \sigma^2 (2\tau - 1)}{2[\exp((1/2)\sigma^2(\tau - \tau^2)) - \lambda]} \quad (6)$$

There is a unique revenue-maximizing choice of τ . Note that the left-hand side of the expression above is a continuous function of τ , monotonically decreasing, and becomes arbitrarily small as τ approaches 1. The right-hand side is a continuous, strictly increasing function of τ . Thus, by the intermediate-value theorem, there is a unique τ that solves equation (6). The condition that guarantee an interior solution is

$$\frac{\lambda}{(1-\lambda)} > \frac{2\gamma}{\sigma^2(1+\gamma)} \quad (7)$$

That is, the choice of τ is guaranteed to be interior as long as (i) λ is not too small; (ii) the labor supply elasticity is not too large; (iii) there is sufficient dispersion in wages. All these are quite intuitive.

Effects of Changes in Parameters We now explore the implications of changes in the parameters defining the environment on the revenue-maximizing level of τ . We show the implications of the labor supply elasticity, γ , the dispersion in wages, σ^2 , and the parameter governing the level of the average tax rate, λ . We diagrammatically illustrate in Figure 1 the effects of the changes in parameters by showing movements in the left and right-hand sides of equation 6.

As Figure 1-a shows, an increase in the labor supply elasticity leads to a *lower* revenue-maximizing level of τ . The reason is that an increase in the labor supply elasticity increases labor supply across all wage levels, but it leads to an increase in revenues – in absolute terms – that is higher at the top than at the bottom of the wage distribution. The revenue-maximizing policy is therefore to reduce the curvature parameter τ to satisfy equation (6).

Figure 1-b shows the effects of changes in the dispersion of wage rates, σ^2 . An increase in wage dispersion leads to two opposing forces. First, an increase in dispersion implies more potential income at the top for a given level of labor supply, leading to an increase in τ . On the other hand, a higher dispersion in wages implies disproportionately more revenue from high-wage individuals. This force pushes for a higher level of individual labor supply, and dictates a lower level of τ . The results in Figure 1-b indicate that the first force dominates, and the revenue-maximizing level of τ becomes *higher* than under a low value of wage dispersion.

Finally, Figure 1-c illustrates that a reduction in λ (i.e. an increase in average tax rates) leads to a *reduction* in the revenue-maximizing level of τ . This is an important prediction: if higher average tax rates are interpreted as higher revenue requirements, revenue maximization dictates a tax schedule that is *less* progressive. Since λ does not affect labor supply, a reduction in λ implies increases in revenue that are larger for larger wages. As τ affects negatively labor supply and in the same proportion for all wages, revenue maximization dictates an increase in individual labor supply to increase revenues further. Hence, a reduction in τ follows.

3 Model

We study a stationary life-cycle economy with individual heterogeneity and endogenous labor supply. Individual heterogeneity is driven by differences in individual labor productivity at the start of the life cycle, as well as by stochastic shocks as individuals age. Individuals have access to a single, risk-free asset, and face taxes of three types. They face flat-rate, capital income and income taxes. They face labor income (payroll) taxes to finance retirement benefits. They also face a non-linear income tax schedule with increasing marginal and average tax rates. The first two tax rates are aimed at capturing the corporation income tax and income taxes at the state and local level. The non-linear tax schedule is the prime

focus of our analysis, and aims to capture the salient features of the Federal Income Tax in the U.S.

Demographics Each period a continuum of agents are born. Agents live a maximum of N periods and face a probability s_j of surviving up to age j conditional upon being alive at age $j - 1$. Population grows at a constant rate n . The demographic structure is stationary, such that age j agents always constitute a fraction μ_j of the population at any point in time. The weights μ_j are normalized to sum to 1, and are given by the recursion $\mu_{j+1} = (s_{j+1}/(1+n))\mu_j$.

Preferences All agents have preferences over streams of consumption and hours worked, and maximize:

$$E \left[\sum_{j=1}^N \beta^j \left(\prod_{i=1}^j s_i \right) u(c_j, l_j) \right] \quad (8)$$

where c_j and l_j denote consumption and labor supplied at age j . The period utility function u is given by

$$u(c, l) = \log(c) - \varphi \frac{l^{1+\frac{1}{\gamma}}}{1+\frac{1}{\gamma}} \quad (9)$$

The parameter γ in this formulation – central to our analysis – governs the static Frisch elasticity as well as the intertemporal labor supply elasticity. The parameter φ controls the intensity of preferences for labor versus consumption.

Technology There is a constant returns to scale production technology that transforms capital K and labor L into output Y . This technology is represented by a Cobb-Douglas production function. The technology improves over time because of labor augmenting technological change, X . The technology level X grows at a constant rate, g . Therefore,

$$Y = F(K, LX) = AK^\alpha(LX)^{1-\alpha} \quad (10)$$

The capital stock depreciates at the constant rate δ .

Individual Constraints The market return per hour of labor supplied of an age j individual is given by $w e(\Omega, j)$, where w is a wage rate common to all agents, and $e(\Omega, j)$ is a function that summarizes the combined productivity effects of age and idiosyncratic productivity shocks.

There are three types of uninsurable idiosyncratic shocks in our environment. A *permanent* shock (θ), a *persistent* shock (z) and a purely *temporary* one (ζ). Hence, $\Omega = \{\theta, z, \zeta\}$, with $\Omega \in \mathbf{\Omega}$, $\mathbf{\Omega} \subset \mathfrak{R}_+^3$. Age 1 individuals receive permanent shocks according to the probability distribution $Q_\theta(\theta)$. We refer to these shocks as permanent as they remain constant during the working life cycle. The persistent shock z follows a Markov process, with age-invariant transition function Q_z , so that $\text{Prob}(z_{j+1} = z' | z_j = z) = Q_z(z', z)$. Temporary shocks are distributed according to Q_ζ . Hence, $\text{Prob}(\zeta_{j+1} = \zeta') = Q_\zeta(\zeta')$. Productivity shocks are independently distributed across agents, and the law of large numbers holds. We describe the parametric structure of shocks in detail in section 4.

All individuals are born with no assets, and face mandatory retirement at age $j = R + 1$. This determines that agents are allowed to work only up to age R (inclusive). An age j individual experiencing shocks Ω chooses consumption c_j , labor hours l_j and next-period asset holdings a_{j+1} . The budget constraint for such an agent is then

$$c_j + a_{j+1} \leq a_j(1 + r) + (1 - \tau_p)w e(\Omega, j)l_j + TR_j - T_j \quad (11)$$

$$c_j \geq 0, \quad a_j \geq 0 \quad a_{j+1} = 0 \quad \text{if } j = N$$

where a_j are asset holdings at age j , T_j are taxes paid, τ_p is the (flat) payroll social-security tax and TR_j is a social security transfer. Asset holdings pay a risk-free return r . In addition, if an agent survives up to the terminal period ($j = N$), then next-period asset holdings are zero. The social security benefit TR_j is zero before the retirement age J_R , and equals a fixed benefit level for an agent after retirement.

Taxes and Government Consumption The government consumes in every period the amount G , which is financed through taxation, and by fully taxing individual's accidental

bequests. In addition to payroll taxes, taxes paid by individuals have three components: a flat-rate income tax, a flat-rate capital income tax and a non-linear income tax scheme. Income for tax purposes (I) consists of labor plus capital income. Hence, for an individual with $I \equiv we(\Omega, j)l_j + ra_j$, taxes paid to finance government consumption at age j are

$$T_j = T_f(I) + \tau_l I + \tau_k r a_j \quad (12)$$

where T_f is a strictly increasing and convex function. τ_l and τ_k stand for the flat income and capital income tax rates. We later use the function T_f to approximate effective Federal Income taxation in the United States. We will use the rates τ_l and τ_k to approximate income taxation at the state level and corporate income taxes, and τ_p to capture payroll (social security) taxes in the United States.

It is worth noting that as an agent's income subject to taxation *includes* capital (asset) income; capital income is taxed through the income tax as well as through the specific tax on capital income. It follows that an individual with income I faces a marginal tax on capital income equal to $T'_f(I) + \tau_l + \tau_k$. Regarding labor income, marginal tax rates are affected by payroll taxes as well as by income taxes. Hence, an individual with an income I , faces a marginal tax rate on labor income equals to $T'_f(I) + \tau_l + \tau_p$.

3.1 Decision Problem

We now state the decision problem of an individual in our economy in the recursive language. We first transform variables to remove the effects of secular growth, and indicate transformed variables with the symbol $(\hat{\cdot})$. With these transformations, an agent's decision problem can be described in standard recursive fashion. We denote the individuals's state by the pair $x = (\hat{a}, \Omega)$, $x \in \mathbf{X}$, where \hat{a} are current (transformed) asset holdings and Ω are the idiosyncratic productivity shocks. The set \mathbf{X} is defined as $\mathbf{X} \equiv [0, \bar{a}] \times \Omega$, where \bar{a} stands for an upper bound on (normalized) asset holdings. We denote total taxes at state (x, j) by $T(x, j)$. Consequently, optimal decision rules are functions for consumption $c(x, j)$, labor $l(x, j)$, and next period asset holdings $a(x, j)$ that solve the following dynamic programming problem:

$$V(x, j) = \max_{(\hat{c}, \hat{a}')} u(\hat{c}, l) + \beta s_{j+1} E[V(\hat{a}', \Omega', j+1)|x] \quad (13)$$

subject to

$$\begin{cases} \hat{c} + \hat{a}'(1+g) \leq \hat{a}(1+\hat{r}) + (1-\tau_p)\hat{w}e(\Omega, j)l + T\hat{R}_j - T(x, j) \\ \hat{c} \geq 0, \quad \hat{a}' \geq 0, \quad \hat{a}' = 0 \text{ if } j = N \\ V(x, N+1) \equiv 0 \end{cases} \quad (14)$$

3.2 Equilibrium

In our model, individuals are heterogeneous with respect to the realization of their idiosyncratic labor productivity shocks, their asset holdings, and their age. To specify the notion of equilibrium, we define a probability measure ψ_j on subsets of the individual state space that describes heterogeneity in assets and productivity shocks within a particular cohort. Hence, for any set $B \subset \mathbf{X}$, $\psi_j(B)$ describes the mass of agents of age j for with state $x \in B$. We specify this probability measure in more detail in the appendix (section 9).

In any equilibrium, factor prices equal their marginal products. Hence, $\hat{w} = F_2(\hat{K}, \hat{L})$ and $\hat{r} = F_1(\hat{K}, \hat{L}) - \delta$. Moreover, markets clear. In our context, this implies

$$\sum_j \mu_j \int_X (c(x, j) + a(x, j)(1+g)) d\psi_j + \hat{G} = F(\hat{K}, \hat{L}) + (1-\delta)\hat{K} \quad (15)$$

$$\sum_j \mu_j \int_X a(x, j) d\psi_j = (1+n)\hat{K} \quad (16)$$

$$\sum_j \mu_j \int_X l(x, j) e(\Omega, j) d\psi_j = \hat{L} \quad (17)$$

Furthermore, government budgets are balanced. This implies that government consumption equals tax collections, and that social security transfers are consistent with payroll tax collections. That is:

$$\hat{G} = \sum_j \mu_j \int_X T(x, j) d\psi_j + \hat{B} \quad (18)$$

$$\tau_p \hat{w} \hat{L} = \sum_{j=J_R+1}^N \mu_j T \hat{R}_j \quad (19)$$

Note that equation (18) includes the aggregate amount of accidental bequests, \hat{B} . This reflects our assumption that the government fully taxes accidental bequests. In section 9, we provide a formal notion of equilibria.

4 Parameter Values

We now proceed to assign parameter values to the endowment, preference, and technology parameters of our benchmark economy. To this end, we use aggregate as well as cross-sectional and demographic data from multiple sources. As a first step in this process, we start by defining the length of a period in the model to be 1 year.

Demographics We assume that individuals start life at age 25, retire at age 65 and live up to a maximum possible age of 100. This implies that $J_R = 40$ (age 64), and $N = 75$. The population growth rate is 1.1% per year ($n = 0.011$), corresponding to the actual growth rate for the period 1990-2009. We set survival probabilities according to the U.S. Life Tables for the year 2005.²

Endowments To parameterize labor endowments, we assume that the log-hourly wage of an agent is given by the sum of a fixed effect or permanent shock (θ), a persistent component (z), a temporary component (ζ) and a common, age-dependent productivity profile, \bar{e}_j . Specifically, as in Kaplan (2012), we pose

$$\log(e(\Omega, j)) = \theta + \bar{e}_j + z_j + \zeta_j \quad (20)$$

²National Vital Statistics Reports, Volume 58, Number 10, 2010.

$$z_j = \rho z_{j-1} + \epsilon_j, \quad z_0 = 0 \quad (21)$$

where $\theta \sim N(0, \sigma_\theta^2)$, $\zeta_j \sim N(0, \sigma_\zeta^2)$ and $\epsilon_j \sim N(0, \sigma_\epsilon^2)$.

Our strategy for setting these parameters consists of two steps. First, we use available estimates and observations on individual wages (hourly earnings) to set the parameters governing the age-productivity profile and the persistence and magnitude of idiosyncratic shocks over the life. We then determine the level of inequality at the start of the life so in stationary equilibrium, our economy is in line with the level of overall earnings inequality for *households*. As we abstract from two-earner households in the relatively simple model of the paper, we view its implications broadly in terms of households rather than individuals.

We estimate the age-dependent deterministic component \bar{e}_j by regressing mean-log wages of individuals on a polynomial of age together with time effects. We use for these purposes data from the Current Population Survey (CPS) data for 1980-2005. We consider data from males aged between 25 and 64. We drop observations with individual wages less than half of the federal minimum wage. Moreover, as in Heathcote, Perri and Violante (2010), we impose that individuals must work at least 260 hours per year. We also correct for top-coding following Lemieux (2006).

To set values for the parameters governing heterogeneity, we proceed as follows. First, we follow Kaplan (2012) and set the autorrelation coefficient (ρ) and the variance of the persistent innovation (σ_ϵ^2) to the estimates therein, $\rho = 0.958$ and $\sigma_\epsilon^2 = 0.017$. We then consider two cases. In our first case, we assume that there are *no* temporary shocks. Hence, we set the variance of permanent shocks to the value needed to reproduce the level of household earnings inequality – measured by the Gini coefficient – observed in U.S. data (0.55).³ This procedure yields $\sigma_\theta^2 = 0.7$. In our second case, we do take into account all shocks – temporary and persistent. Hence, we set the variance of temporary shocks to the estimates in Kaplan ($\sigma_\zeta^2 = 0.081$). We then set the value of the variance of permanent shocks in order to reproduce the observed level of household earnings inequality as before. This yields $\sigma_\theta^2 = 0.4$.

³To calculate statistics of earnings inequality for households, we use micro data from the Internal Revenue Service (2000 Public Use Tax File). Key advantages of this data are its coverage and the absence of top coding.

Taxation Following Benabou (2002) and Heathcote, Storesletten and Violante (2014) and others, we use a convenient tax function to represent Federal Income taxes in the data. Specifically, we set the function T_f to

$$T_f(I) = I.t(\tilde{I}),$$

$$t(\tilde{I}) = 1 - \lambda\tilde{I}^{-\tau},$$

where $t(\tilde{I})$ is an average tax function, and \tilde{I} is income relative to mean income. As we indicated earlier, the parameter λ defines the level of the tax rate whereas the parameter τ governs the curvature or progressivity of the system.

To set values for λ and τ , we use the estimates of *effective tax rates* for this tax function in Guner, Kaygusuz and Ventura (2014). The underlying data is tax-return, micro-data from Internal Revenue Service for the year 2000 (Statistics of Income Public Use Tax File). We use the estimates therein for *all households* when refunds for the Earned Income Tax Credit are included, $\lambda = 0.911$ and $\tau = 0.053$. These estimates imply that a household around mean income faces an average tax rate of about 8.9% and marginal tax rate of 13.7%. For high income individuals, average and marginal rates are non-trivially higher. At five times the mean household income level in the IRS data (about \$265,000 in 2000 U.S. dollars), the average and marginal rates for a married household amount to 16.3% and 20.8%, respectively. Figure 2 displays the resulting tax function.

We use the tax rate τ_l to approximate state and local income taxes. Guner et al (2014) find that average tax rates on state and local income taxes are essentially flat as a function of household income, ranging from about 4% at the central income quintile to about 5.3% at the top one percent of household income. From these considerations, we set this rate to 5% ($\tau_l = 0.05$).

We use τ_k to proxy the U.S. corporate income tax. We estimate this tax rate as the one that reproduces the observed level of tax collections out of corporate income taxes after the major reforms of 1986. Such tax collections averaged about 1.74% of GDP for 1987-2007 period. Using the technology parameters we calibrate in conjunction with our notion of

output (business GDP), we obtain $\tau_k = 0.074$.

Finally, we calculate $\tau_p = 0.122$, as the (endogenous) value that generates an earnings replacement ratio of about 53%.⁴

Preferences and Technology We calibrate the capital share and the depreciation rate using a notion of capital that includes fixed private capital, land, inventories and consumer durables. For the period 1960-2007, the resulting capital to output ratio averages 2.93 at the annual level. The capital share equals 0.343 and the (annual) depreciation rate amounts to 0.04 using the standard following the standard methodology; e.g. Cooley and Prescott (1995). This procedure also implies a rate of growth in labor efficiency of about 2.2% per year ($g = 0.022$).

We set the intertemporal elasticity of labor supply (γ) to a value of 1 in our benchmark exercises, and later study its importance by conducting exercises for different values of it.⁵ We set the value of the parameter φ and the discount factor β to reproduce in stationary equilibrium a value of mean hours of 1/3 and a capital to output ratio of 2.94.

Summary Table 1 summarize our parameter choices. For both of the cases we consider – with and without temporary shocks – three parameters (β , φ and σ_θ^2) are set so as to reproduce endogenously three observations in stationary equilibrium (capital-output ratio, aggregate hours worked and earnings Gini coefficient).

4.1 The Benchmark Economy

We now discuss the quantitative properties of the benchmark economy that are of importance for the questions of this paper. We focus on the consistency of the benchmark economy with standard facts on cross-sectional inequality, as well as on a non-standard but critical fact: the distribution of taxes paid by income.

Table 1 shows that the model is broadly consistent with facts on the distribution of household earnings – not surprisingly more concentrated than the distribution of individual

⁴This is the value of the the median replacement ratio in the mid 2000's for 64-65 year old retirees, according to Biggs, Springstead and Glenn (2008).

⁵Keane and Rogerson (2012) conclude that different mechanisms at play in aggregate settings suggest values of γ in excess of 1.

earnings. As the table demonstrates, the model reproduces the overall inequality in household earnings as measured by the Gini coefficient. The model is in line with the shares accounted by different quintiles, ranging from just the empirical values of 2.1% in the bottom quintile to nearly 58% in the fifth quintile. Perhaps not surprisingly, the model is less successful in accounting for the concentration of earnings at the very top of the earnings distribution. Table 1 shows that in the data, the top 1% of the distribution of earnings accounts for about 14% of total earnings; the version of the model without temporary shocks generates about 9.6% while the model with temporary shocks implies a share of 10.7%.

The Distribution of Taxes Paid Table 3 shows the distribution of income-tax payments at the Federal level for different percentiles of the income distribution. As the table shows, the distribution of tax payments is quite concentrated – more so than the distributions of income and labor income. The first and second income quintiles essentially do not account for any tax liabilities, whereas the top income quintile accounts for about 71% of tax payments. The top 10% account for more than half of all tax payments and the richest 1% for about 15% of tax payments. This is the natural consequence of a concentrated distribution of household income and progressive income tax scheme. The model reproduces well the aggregate level of tax collections in the data, and the sharp rise of income tax collections across income quintiles.⁶

5 Findings

We now report on the consequences of shifting the tax burden towards top earners. Specifically, we fix the ‘level’ parameter of the tax function (λ) at its benchmark value, and vary the parameter governing its curvature or progressivity (τ). For each case, we compute a steady state in our economy and report on a host of variables.

⁶The facts on the distribution of tax payments reported in Table 3 are for the bottom 99.5% of the distribution of household income in the United States. Not surprisingly, the unrestricted data shows an even higher concentration of tax payments at high incomes. We present the facts in this way since as documented by Guner et al (2014) and others, a disproportionate fraction of income of the richest households is from capital-income sources. As it is well known, macroeconomic models where inequality is driven solely by earnings heterogeneity cannot account for the wealth holdings of the richest households in data.

Table 4 shows the consequences of selected values for the curvature parameter τ , ranging from 0 (a proportional tax) to 0.14 – above and below the benchmark value case, $\tau = 0.053$. Two prominent findings emerge from the table. First, it takes a non-trivial increase in the the curvature parameter, from 0.053 to values around 0.13 – 0.14, in order to maximize revenues from the Federal income tax. The resulting aggregate effects associated to increasing curvature are substantial. Increasing the curvature parameter from its benchmark value to 0.14 reduces capital, output and labor supply (in efficiency units) by about 21.2%, 13% and 8.2%, respectively. These values are quantitatively important, and result from a significant rise in marginal rates relative to average rates, as we discuss below. This rise leads to standard reductions in the incentives on the margin to supply labor and save, which in equilibrium translate into the substantial effects on aggregates just mentioned. These effects are largely independent on whether the benchmark economy takes into account transitory shocks or not.

Second, the increase in revenues associated to the changes in progressivity are relatively small in comparison to the large reduction in output. Maximizing revenues implies an increase in income taxes at the federal level of about 7.5%, and a *reduction* in tax collections at the local and state level and from corporate income taxes. This occurs as tax collections from these sources are roughly proportional to the size of aggregate output and capital. As a result, tax collections from *all sources* are maximized at a lower level of progressivity (around $\tau = 0.10$), and increase only by about 1% at the level of progressivity consistent with revenue maximization from the Federal income tax.

Magnitude of Changes in Tax Rates How large are the required changes in average and marginal rates resulting from the revenue-maximizing shifts in progressivity? We assess the implications of these changes using the tax function in the benchmark economy and compare it with the resulting tax function that maximizes revenue (i.e. same level parameter λ , higher curvature parameter τ). We illustrate these changes by focusing on the average and marginal tax rates for the income percentiles defining the top 10%, 5% and 1%, respectively, in the case when temporary shocks are absent (Case I).⁷

At the benchmark economy, average rates are about 15.4, 17.1 and 20.2 percent at the income levels defining the richest 10, 5 and 1 percent, respectively. The corresponding

⁷The results for Case II are quantitatively very similar.

marginal rates amount to 19.9, 21.4 and 24.4 percent. At maximal revenue for Federal income taxes, around $\tau = 0.13$, average rates at the top levels are 22.6, 25.9 and 32.4 percent, and marginal rates amount to 32.7, 35.6 and 41.2 percent, respectively. In other words, for incomes defining the richest 5 percent of households in our economy, revenue maximization dictates an increase in average rates of nearly nine percentage points, and an increase in marginal rates of about fourteen percentage points. Hence, revenue-maximizing tax rates are non-trivially larger than those at the benchmark economy. From these perspective, the concomitant large effects on aggregates are not surprising.

The Distribution of Tax Payments Not surprisingly, the shifts in progressivity lead to non-trivial shifts on the contribution to income tax payments by households at different income levels, or tax burden for short. Table 5 shows changes in the tax burden associated to the move from the benchmark level of progressivity to values around the maximal revenue level ($\tau = 0.14$) in Case I (no temporary shocks). The results show a significant shift in terms of the distribution of the tax burden, and mirror the consequences on aggregates and tax rates above. From the benchmark case to revenue-maximizing levels, the share of taxes paid by the richest 20% increase by about nine percentage points, with equivalent increases at higher income levels. The shares of taxes paid at the bottom of the income distribution change much less, with the poorest 20% changing from nearly no taxes paid to a negative contribution as their average tax rates turn negative. .

Summary The message from these findings is clear. There is not much available revenue from revenue-maximizing shifts in the burden of taxation towards high earners – despite the substantial changes in tax rates across income levels – and these changes have non-trivial implications for economic aggregates for both Cases I and II. Figures 3 a-b summarize these findings when temporary shocks are absent (Case I). As we argue below, this conclusion does not depend critically on the magnitude of the labor-supply elasticity. Moreover, in line with the analytical results in 2, the limits for revenue maximization via changes in progressivity become more demanding as revenue requirements increase.

6 Discussion

We now attempt to put our findings in perspective. To this end, we provide calculations to highlight the importance of aspects of our environment that might be critical for our results. We conduct three distinct exercises. First, we investigate the role of the labor supply elasticity for aggregates and government revenues when progressivity changes. Second, we evaluate the quantitative importance of the ‘level’ of revenues for the revenue-maximizing level of progressivity. Finally, we conduct exercises where instead of tilting the entire tax function, we change only the the marginal tax rate at high income levels. In all cases, we focus our attention on our Case I for idiosyncratic shocks (no temporary shocks).

6.1 What is the Importance of the Labor Supply Elasticity?

To what extent our findings depend on the magnitude of γ , the labor elasticity parameter? The reader should recall that we have assumed a benchmark value of 1 for this parameter. As it is well known, there is a debate about the appropriate magnitude of the intertemporal elasticity and its value in macroeconomic models. In a recent survey, Rogerson and Keane (2012) conclude that a several economic mechanisms can rationalize aggregate observations for a value of γ between 1 and 2 in macroeconomic models. From these perspective, our benchmark value is at the bottom of the range, but we still entertain values below 1 for robustness.

We consider two cases for the elasticity parameter around the benchmark value: $\gamma = 0.75$ and $\gamma = 1.25$. For each of these cases, we recalibrate the model to reproduce the same targets discussed in section 4. Our results are summarized in Table 6 alongside the results for the benchmark case. Three central findings emerge from the table. First, not surprisingly, output and labor supply respond more to changes in the curvature of the tax function when the elasticity value is higher. For a given curvature value, the consequences of the implied distortion on labor supply decisions become bigger under higher values of the elasticity parameter γ and thus, the equilibrium responses on labor supply and output are larger. Second, in line with results from the simple example discussed in section 2, the level of curvature that maximizes revenue is negatively related to the value of the elasticity parameter. Quantitatively, the value of the curvature parameter τ that maximizes revenue is not critically affected by the elasticity parameter: the level of τ that maximizes revenue is

0.12-0.13 under $\gamma = 1.25$ and it is around 0.14 under $\gamma = 0.75$. Figure 4-a displays revenues from the Federal income tax as a function of the curvature parameter for the three values of the labor-supply elasticity.

Finally, from Table 6 and Figure 4-a is clear that our conclusions in section 5 still hold: quantitatively, there is not much revenue available from a tilt of the tax schedule towards high earners. Table 6 shows that under the low value of γ (0.75), maximal revenues from Federal income taxes are about 9.2% higher than in the benchmark case, while they were about 7.5% higher than in the benchmark case under $\gamma = 1$. Overall tax collections increase by about 2% whereas they do so by about 1% in under the baseline value of γ .

6.2 What is the Importance of Revenue Requirements?

In section 2, we showed that a higher level of revenue requirement or the average tax rate, as defined by the level parameter λ in the tax function, implies lower values of the revenue-maximizing curvature parameter τ . That is, lower distortions in labor supply choices. Quantitatively, how important is this effect in our dynamic model? More broadly, what is the role of revenue requirements on aggregates and government revenues?

Table 7 shows the consequences of two lower values of λ , $\lambda = 0.87$ and $\lambda = 0.85$, alongside the benchmark value $\lambda = 0.911$, for different values of the curvature parameter τ . Values of all variables are normalized to 100 at the benchmark economy. In understanding these results, the reader should note that by changing the value of λ , we leave unaltered the value of the ratio of one minus the marginal tax rate to one minus the average tax rate – the proxy for distortions – as this ratio is independent from λ .

Table 7 shows that higher revenue requirements (lower λ), for a given value of curvature, lead to mildly lower values of labor supply and output. For instance, at the extreme value of $\tau = 0.14$, output under $\lambda = 0.85$ is about 3.8% lower than under the benchmark value of γ . Moreover, and in line with the example in section 5, maximal revenues for Federal income taxes indeed take place at lower values of progressivity. In the benchmark case, income tax revenues are maximal at $\tau = 0.13 - 0.14$. Under the high-revenue requirement value of $\lambda = 0.85$, revenue maximization takes place at values much closer to the benchmark value of curvature – around $\tau = 0.08$. Figure 4-b displays revenues from the Federal income tax as a function of the curvature parameter for the three values of the level parameter λ .

Table 7 shows that there are rather substantial gains in revenues associated to changes in the level of the average tax rate for a given level of progressivity. A change in λ from 0.911 to 0.87, which translates into an increase in the average rate at mean income from 8.9% to 13%, raises revenues by more than 30%. This increase in revenue is rather substantial in relation to the increases in revenue available under changes in progressivity, and implies only minimal reductions in aggregates and tax collections from other sources. Of course, the welfare implications of such distinct changes in the structure of taxation are different and involve usual equity and efficiency trade-offs. We investigate below such welfare implications in section 7.

6.3 Higher Taxes at the Top – Only

In our main exercises, we increase progressivity by increasing the curvature parameter, τ . This tilt of the tax function towards high earners actually *reduces* tax rates for income levels at the bottom. We ask now whether it is possible to increase revenues substantially from Federal income taxes by *only* taxing more heavily top incomes. For these purposes, we modify the tax function via increases in marginal tax rates above high income levels.

Concretely, let the new tax function with higher marginal rates at top incomes be given by $T_{NEW}(\tilde{I})$. Let \tilde{I}_H be the level of relative income after which higher marginal rates are imposed, and τ_H be the higher marginal tax rate above \tilde{I}_H . Hence,

$$T_{NEW}(\tilde{I}) = T(\tilde{I})$$

if $\tilde{I} \leq \tilde{I}_H$, and

$$T_{NEW}(\tilde{I}) = T(\tilde{I}_H) + \tau_H(\tilde{I} - \tilde{I}_H)$$

if $\tilde{I} > \tilde{I}_H$.

In this case, the marginal tax rate at top incomes is constant and equal to τ_H . We concentrate on higher tax rates for the top 5%. Since in the benchmark case, as discussed in the previous section, the marginal tax rate defining the richest 5% amounts to about 21.4%, we consider levels of τ_H above this value. We find that as before and not surprisingly, higher marginal tax rates reduce labor supply, capital and output in a significant way. Increasing

the marginal tax rate for top incomes to 45% reduces labor supply, capital and output by 5.2%, 9.7 and 6.8%, respectively.

It turns out that the marginal tax rate (τ_H) that maximizes revenues from the Federal income is around 35%. Revenues are effectively 3.7% higher than in the benchmark economy, while in our main exercises revenues increase up to 7.5%. Revenue maximization for all taxes takes place at a value of τ_H around 30%, with revenue increases up to 1.3%. We obtain similar findings when higher marginal tax rates are applied to the richest 1% – albeit with smaller revenue increases.

We conclude that the results from these exercises reinforce our main conclusions that there is not much revenue available from shifting the tax burden towards top earners.

7 How to Best Finance Higher Spending?

TO BE WRITTEN.

8 Concluding Remarks

The effectiveness of a more progressive tax scheme in raising tax revenues is rather limited. This occurs despite the substantial increases in tax rates for higher incomes that is needed to attain maximal revenues. Large changes in output, capital and labor supply take place across steady states in response to increases in progressivity that effectively result in second-order increases in government revenues. This conclusion is robust to values of the parameter governing the labor supply elasticity on the low side of values for macro models and to whether tax rates are increased only at the top.

We find, nonetheless, that there are substantial revenues available from ‘level’ shifts of the tax function. These shifts correspond to changes in average and marginal tax rates for all in about the same magnitude, that distort household behavior much less. In consequence, the resulting changes in macroeconomic aggregates are much smaller and the effects on tax revenues substantial. We also find that when the level of taxes are high, there is even lesser room for a government to raise revenue by making them more progressive. Altogether, the findings suggest that increasing progressivity is misguided if the aim is to exclusively raise government revenue.

9 Appendix: Equilibrium Definition

We define formally a stationary recursive competitive equilibrium. For aggregation purposes, a probability measure ψ_j , all $j = 1, N$, defined on subsets of the individual state space will describe the heterogeneity in assets and productivity shocks within a particular cohort. Let $(\mathbf{X}, B(\mathbf{X}), \psi_j)$ be a probability space where $B(\mathbf{X})$ is the Borel σ -algebra on \mathbf{X} . The probability measure ψ_j must be consistent with individual decision rules that determine the asset position of individual agents at a given age, given the asset history and the history of labor productivity shocks. Therefore, it is generated by the law of motion of the productivity shocks Ω and the asset decision rule $a(x, j)$. The distribution of individual states across age 1 agents is determined by the exogenous initial distribution of labor productivity shocks Q_θ and persistent and temporary innovations since agents are born with zero assets. For agents $j > 1$ periods old, the probability measure is given by the recursion:

$$\psi_{j+1}(B) = \int_{\mathbf{X}} P(x, j, B) d\psi_j, \quad (22)$$

where

$$P(x, j, B) = \begin{cases} Q_z(z', z)Q_{\zeta'} & \text{if } (a(x, j), z', \zeta') \in B \\ 0 & \text{otherwise} \end{cases}.$$

It is possible now to state the definition of steady state equilibrium:

Definition: A steady state equilibrium is a collection of decision rules $c(x, j)$, $a(x, j)$, $l(x, j)$, factor prices \hat{w} and \hat{r} , taxes paid $T(x, j)$, per-capita accidental bequests \hat{B} , social security transfers \widehat{TR}_j , aggregate capital \hat{K} , aggregate labor \hat{L} , government consumption \hat{G} , a payroll tax τ_p , and a tax regime $\{T_f, \tau_l, \tau_k\}$ and distributions $(\psi_1, \psi_2, \dots, \psi_N)$ such that

1. $c(x, j)$, $a(x, j)$ and $l(x, j)$ are optimal decision rules.
2. Factor Prices are determined competitively: $\hat{w} = F_2(\hat{K}, \hat{L})$ and $\hat{r} = F_1(\hat{K}, \hat{L}) - \delta$
3. Markets Clear:

$$(a) \sum_j \mu_j \int_{\mathbf{X}} (c(x, j) + a(x, j)(1 + g)) d\psi_j + \hat{G} = F(\hat{K}, \hat{L}) + (1 - \delta)\hat{K}$$

$$(b) \sum_j \mu_j \int_{\mathbf{X}} a(x, j) d\psi_j = (1 + n)\hat{K}$$

$$(c) \sum_j \mu_j \int_X l(x, j) e(z, j) d\psi_j = \hat{L}$$

4. Distributions are Consistent with Individual Behavior:

$$\psi_{j+1}(B) = \int_X P(x, j, B) d\psi_j$$

for $j = 1, \dots, N - 1$ and for all $B \in B(X)$.

5. Government Budget Constraint is satisfied:

$$\hat{G} = \sum_j \mu_j \int_X T(x, j) d\psi_j + \hat{B},$$

where

$$\hat{B} = [\sum_j \mu_j (1 - s_{j+1}) \int_X (a(x, j)(1 + \hat{r})) d\psi_j] / (1 + n)$$

6. Social Security Benefits equal Taxes:

$$\tau_p \hat{w} \hat{L} = \sum_{j=J_R+1}^N \mu_j \widehat{TR}_j.$$

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Table 1: Parameter Values

<u>Parameter</u>	<u>Case I</u>	<u>Case II</u>	<u>Comments</u>
Population Growth Rate (n)	1.1	1.1	U.S. Data
Labor Efficiency Growth Rate (g)	2.2	2.2	U.S. Data
Discount Factor (β)	0.982	0.980	Calibrated - matches K/Y
Intertemporal Elasticity (γ)	1	1	Literature
Disutility of Market Work (φ)	8.7	7.9	Calibrated - matches hours
Capital Share (α)	0.35	0.35	Calibrated
Depreciation Rate (δ_k)	0.04	0.04	Calibrated
Autocorrelation Permanent Shocks (ρ)	0.958	0.958	Kaplan (2012)
Variance Permanent Shocks (σ_θ^2)	0.7	0.4	Calibrated – matches Earnings Gini
Variance Persistent Shocks (σ_ϵ^2)	0.017	0.017	Kaplan (2012)
Variance Temporary Shocks (σ_ζ^2)	0	0.081	Kaplan (2012)
Payroll Tax Rate (τ_p)	0.122	0.122	Calibrated
Capital Income Tax Rate (τ_k)	0.074	0.074	Calibrated
Income Tax Rate (τ_l)	0.05	0.05	Calibrated
Tax Function Level (λ)	0.911	0.911	Guner et al (2013)
Tax Function Curvature (τ)	0.053	0.053	Guner et al (2013)

Note: Entries show parameter values together with a brief explanation on how they are selected. Case I pertains to the case when temporary shocks are absent. Case II takes into account of temporary shocks – see text for details.

Table 2: Shares of Labor Income (%) – Model and Data

Percentiles	Data	Model (Case I)	Model (Case II)
<u>Quantile</u>			
1st (bottom 20%)	2.1	2.8	2.9
2nd (20-40%)	6.7	6.5	6.6
3rd (40-60%)	12.3	11.4	11.4
4th (60-80%)	21.3	20.4	20.0
5th (80-100%)	57.6	58.8	59.0
<u>Top</u>			
90-95%	11.7	13.6	13.2
5%	29.1	27.5	28.7
1%	14.3	9.6	10.7
Gini Coefficient	0.55	0.55	0.55

Note: Entries shows the distribution of labor income in the data and the the implied distribution from our model. The labor-income data is from the Internal Revenue Service for the year 2000 (Statistics of Income Public Use Tax File) Case I in our model pertains to the case when temporary shocks are absent. Case II takes into account of temporary shocks. See text for details.

Table 3: Shares of Tax Payments – Model and Data

Percentiles of Household Income	Data	Model (Case I)	Model (Case II)
<u>Quantile</u>			
1st (bottom 20%)	0.4	0.3	0.6
2nd (20-40%)	2.6	2.4	2.9
3rd (40-60%)	7.9	5.9	6.8
4th (60-80%)	18.2	15.3	16.2
5th (80-100%)	71.0	76.1	73.5
<u>Top</u>			
10%	53.3	58.5	56.2
1%	14.9	17.0	16.9
Tax Revenue (% GDP)	10.1	11.1	10.9

Note: Entries shows the distribution of taxes paid (Federal Income taxes) in the data and the the implied distribution from our model. The tax data is from the Internal Revenue Service for the year 2000 (Statistics of Income Public Use Tax File). Case I in our model pertains to the case when temporary shocks are absent. Case II takes into account of temporary shocks. The last row displays Federal Income tax collections as a percentage of output (GDP). See text for details.

Table 4: Changes in Progressivity

	$\tau = 0$	$\tau = 0.04$	$\tau = 0.08$	$\tau = 0.12$	$\tau = 0.14$
<i>Case I</i>					
Output	108.5	102.0	95.9	89.9	87.0
Hours	104.2	101.1	97.6	93.9	92.0
Labor Supply	104.6	101.2	97.5	93.7	91.8
Capital	116.0	103.7	92.8	83.2	78.8
<u>Revenues</u>					
Federal Income Tax	84.4	97.1	104.4	107.5	107.6
Corporate Income Tax	104.7	101.2	97.4	93.2	91.1
State and Local Taxes	107.6	101.8	96.2	90.7	88.0
All Taxes	92.8	98.8	101.5	101.4	100.6
<i>Case II</i>					
Output	108.5	102.1	95.8	89.8	86.8
Hours	103.6	100.9	98.0	94.8	93.1
Labor Supply	104.7	101.2	97.5	93.6	91.6
Capital	116.0	103.7	92.8	83.1	78.7
<u>Revenues</u>					
Federal Income Tax	86.0	97.4	103.8	106.1	106.0
Corporate Income Tax	104.8	101.2	97.3	93.1	90.9
State and Local Taxes	107.8	101.9	96.2	90.6	87.8
All Taxes	93.9	99.0	101.0	100.5	99.4

Note: Entries shows the effects across steady states of changes in the curvature (progressivity) of the tax function on selected variables. Values of all variables are normalized to 100 in the benchmark economy. Case I in our model pertains to the case when temporary shocks are absent. Case II takes into account of temporary shocks. The 'All Taxes' row includes Federal income and corporate taxes plus state and local taxes. See text for details.

Table 5: Shares of Tax Payments – Benchmark and Higher Progressivity

Percentiles of Model Household Income	Benchmark ($\tau = 0.053$)	$\tau = 0.14$
<u>Quantile</u>		
1st (bottom 20%)	0.3	-2.7
2nd (20-40%)	2.4	2.1
3rd (40-60%)	5.9	2.8
4th (60-80%)	15.3	12.6
5th (80-100%)	76.1	85.2
<u>Top</u>		
10%	58.5	67.3
1%	17.0	20.4

Note: Entries shows the distribution of taxes paid (Federal Income taxes) in the benchmark economy and the resulting changes associated to higher progressivity around the revenue-maximizing level. The results pertain to Case I (no temporary shocks).

Table 6: Role of Labor Supply Elasticities

	$\tau = 0$	$\tau = 0.04$	$\tau = 0.08$	$\tau = 0.12$	$\tau = 0.14$
<i>Low Elasticity ($\gamma = 0.75$)</i>					
Output	107.7	101.9	96.2	90.8	88.1
Labor Supply	103.6	100.9	98.0	94.8	93.1
<u>Revenues</u>					
Federal Income Tax	83.8	96.9	104.9	108.6	109.2
Corporate Income Tax	104.1	101.1	97.7	94.1	92.2
State and Local Taxes	106.9	101.7	96.6	91.6	89.1
All Taxes	92.1	98.6	101.9	102.5	102.0
<i>Benchmark ($\gamma = 1$)</i>					
Output	108.5	102.0	95.9	89.9	87.0
Labor Supply	104.6	101.2	97.5	93.7	91.8
<u>Revenues</u>					
Federal Income Tax	84.4	97.1	104.4	107.5	107.6
Corporate Income Tax	104.7	101.2	97.4	93.2	91.1
State and Local Taxes	107.6	101.8	96.2	90.7	88.0
All Taxes	92.8	98.8	101.5	101.4	100.6
<i>High Elasticity ($\gamma = 1.25$)</i>					
Output	109.1	102.2	95.6	89.3	86.2
Labor Supply	104.7	101.2	97.4	93.3	91.1
<u>Revenues</u>					
Federal Income Tax	84.9	97.2	104.1	106.5	106.3
Corporate Income Tax	105.3	101.4	97.1	92.6	90.2
State and Local Taxes	108.2	102.0	95.9	90.0	87.2
All Taxes	93.3	98.9	101.1	100.6	99.5

Note: Entries show the effects across steady states of changes in the curvature (progressivity) of the tax function for different values of the Frisch elasticity (γ). Temporary productivity shocks are absent (Case I). Values of all variables are normalized to 100 in the benchmark economy. The 'All Taxes' row includes Federal income and corporate taxes plus state and local taxes. See text for details.

Table 7: Role of Revenue Requirements

	$\tau = 0$	$\tau = 0.04$	$\tau = 0.08$	$\tau = 0.12$	$\tau = 0.14$
<i>Benchmark</i> ($\lambda = 0.911$)					
Output	108.5	102.0	95.9	89.9	87.0
Labor Supply	104.6	101.2	97.5	93.7	91.8
<u>Revenues</u>					
Federal Income Tax	84.4	97.1	104.4	107.5	107.6
Corporate Income Tax	104.7	101.2	97.4	93.2	91.1
State and Local Taxes	107.6	101.8	96.2	90.7	88.0
All Taxes	92.8	98.8	101.5	101.4	100.6
<i>Higher Revenue</i> ($\lambda = 0.87$)					
Output	106.1	99.7	93.6	87.7	84.8
Labor Supply	104.2	101.0	97.5	93.7	91.8
<u>Revenues</u>					
Federal Income Tax	121.1	130.7	135.2	135.6	134.6
Corporate Income Tax	104.2	100.9	96.9	92.6	90.4
State and Local Taxes	105.8	100.0	94.4	88.9	86.2
All Taxes	115.3	119.3	120.1	118.5	116.9
<i>Higher Revenue</i> ($\lambda = 0.85$)					
Output	104.9	98.5	92.4	86.5	83.7
Labor Supply	104.2	101.0	97.4	93.6	91.7
<u>Revenues</u>					
Federal Income Tax	138.6	146.5	149.5	148.8	147.2
Corporate Income Tax	104.6	100.7	96.6	92.2	90.0
State and Local Taxes	104.8	99.1	93.4	87.9	85.2
All Taxes	125.9	128.9	128.9	126.4	124.4

Note: Entries show the effects across steady states of changes in the curvature (progressivity) of the tax function for different values of 'level' parameter (λ) in the tax function. Temporary productivity shocks are absent (Case I). Values of all variables are normalized to 100 in the benchmark economy. The 'All Taxes' row includes Federal income and corporate taxes plus state and local taxes. See text for details.

Figure 1a: An Increase in Labor Supply Elasticity (γ)

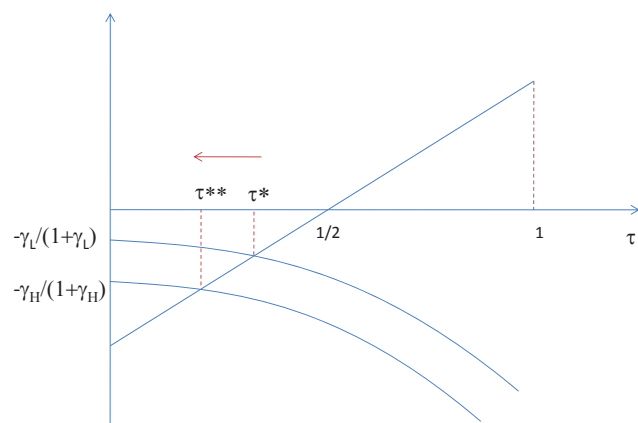


Figure 1b: An Increase in Wage Dispersion (σ^2)

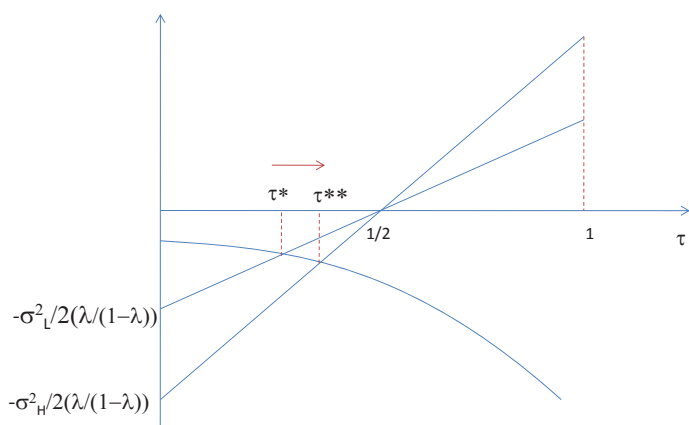


Figure 1c: An Increase in Average Taxes (λ)

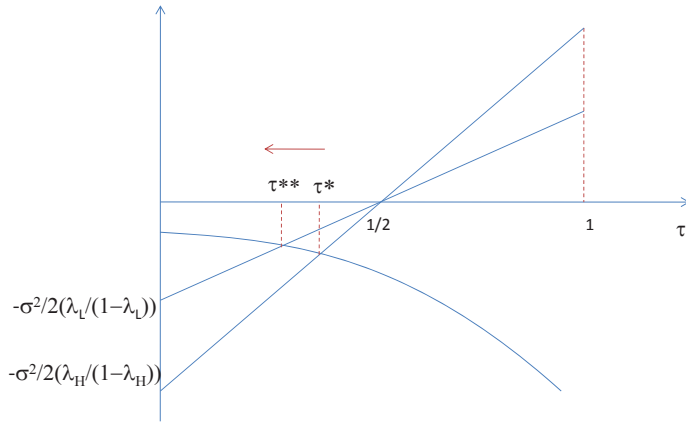


Figure 2 : Tax Function

